

Numerical prediction of layer composition for multi-material Directed Energy Deposition

JACQUIER Vincent¹, ZOLLINGER Julien², ZELLER Philippe³, SCHUSTER Frédéric⁵, MASKROT Hicham¹, PACQUENTIN Wilfried¹

1. Université Paris-Saclay, CEA, Service d'Etudes Analytiques et de Réactivité des Surfaces, 91191, Gif-sur-Yvette, France

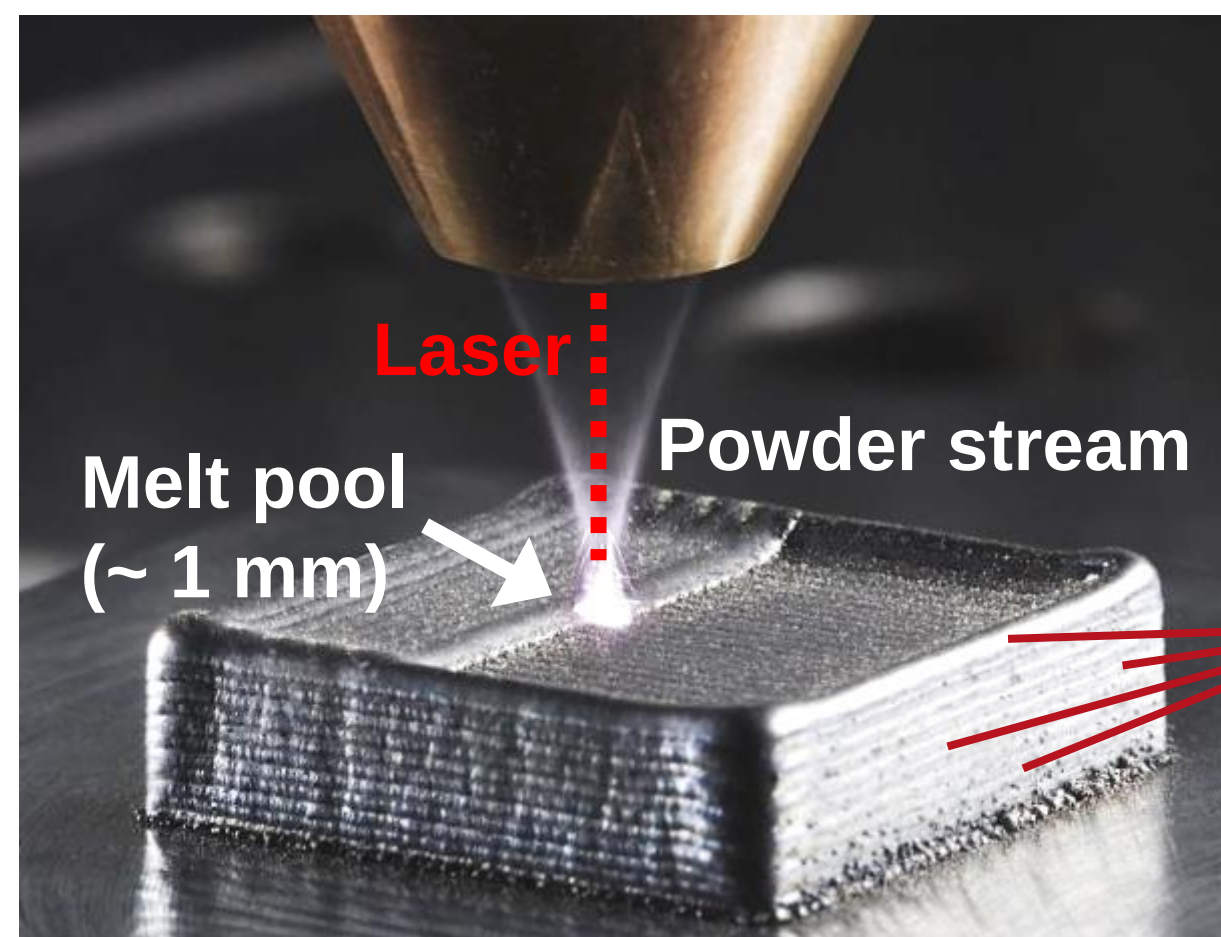
2. IJL, Université de Lorraine, CNRS, 54000 Nancy, France

3. Université Paris-Saclay, CEA, Service de la Corrosion et du Comportement des Matériaux dans leur Environnement, 91191, Gif-sur-Yvette, France

4. PIMM, Arts et Metiers Institute of Technology, CNRS, CNAM, HESAM University, 75013 Paris, France

5. Cross-Cutting Program on Materials and Processes Skills, CEA, Université Paris-Saclay, 91191 Gif-sur-Yvette, France

Directed Energy Deposition of metals



Additive manufacturing by DED (Directed Energy Deposition) [Trumpf]

- 3D fabrication, repair, coating
- Dense and strong deposits
- **Complex** physic and parameters selection

Multi-material possibilities by varying the injected powder:

- multi-material **structures**
- material **gradient**
- local and in-situ **alloying**

Goals for a multi-material simulation

Understanding of phenomena and defects

Parameters ↔ deposit characteristics

Managing the **complexity** of multi-material DED

- Given parameters → characteristics **prediction**
- Desired characteristics → parameters **optimization**

An efficient stationary model at the melt pool scale

Inputs

- Laser, Powder stream
- Powder and substrate **properties** $f(T, wt\%)$
- Translation velocity, Hatching Distance

Outputs

- Melt pool and layer **dimensions**
- Feedstock **efficiency**
- Layer **composition**
- Temperature and velocity

Melt pool physic (with Comsol®)

Thermal (T)

- Conduction
- Advection $f(v)$
- Laser input

Fluid (v)

- Navier-Stokes
- Turbulence RANS v^2-f
- Marangoni $f(T, wt\%)$

Composition (wt%)

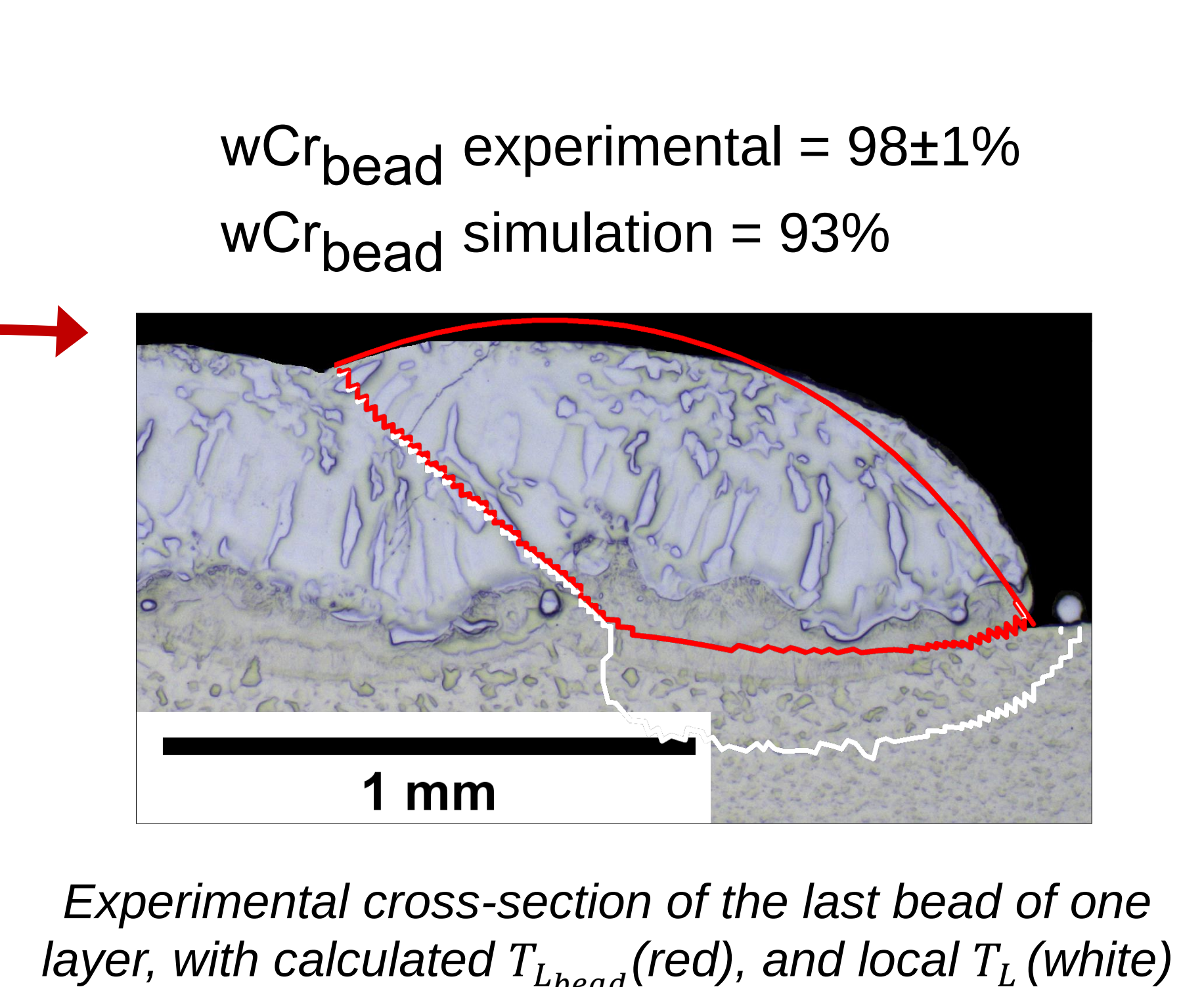
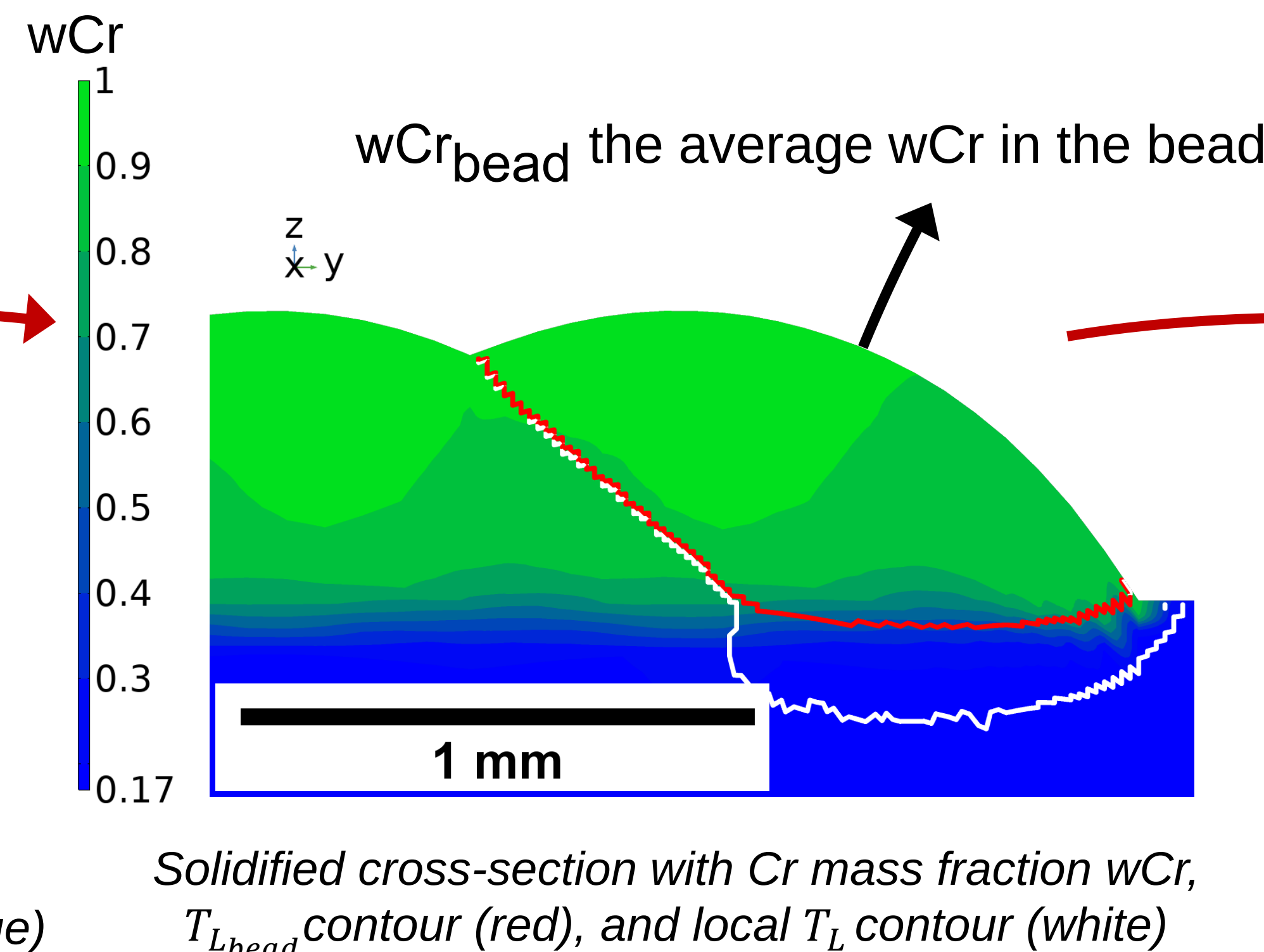
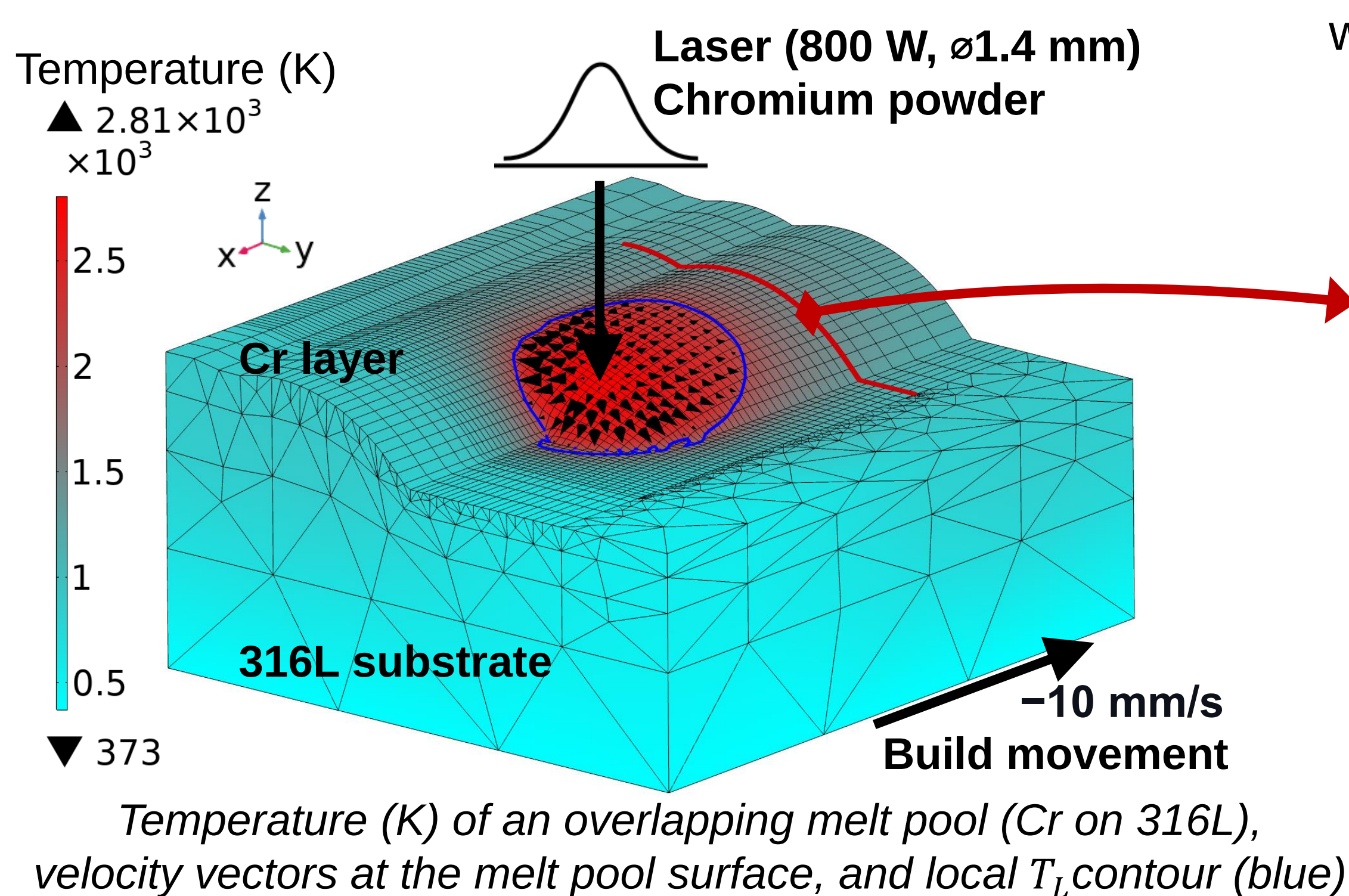
- Conduction
- Advection $f(v)$
- Powder inflow

Free surface (ϕ)

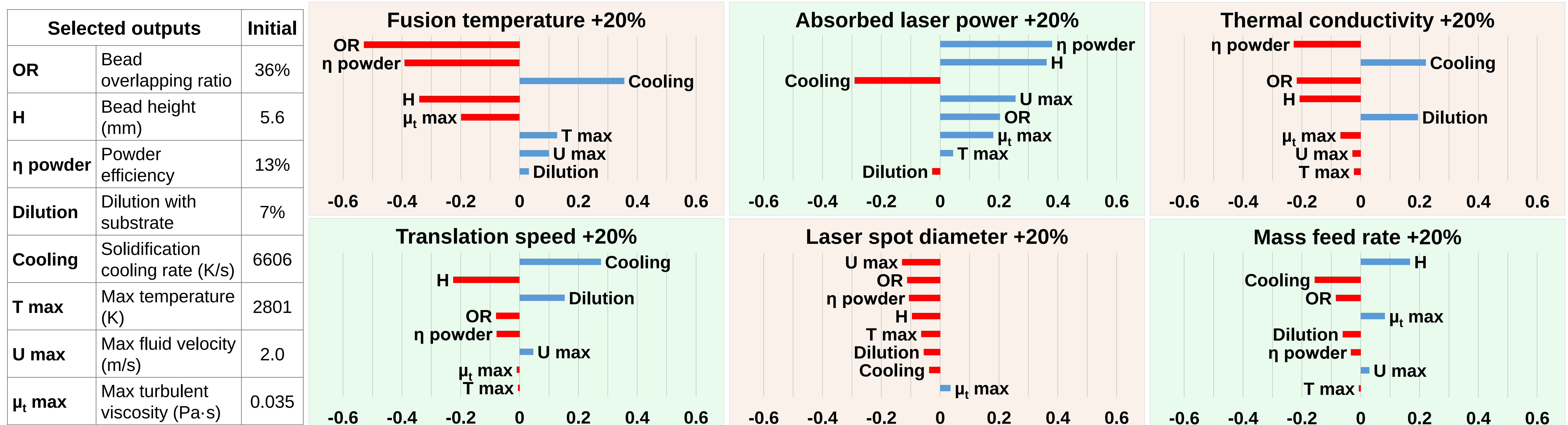
- Equilibrium of Forces
- Surface tension
- Fluid stresses $f(v)$

Numerical realization

- Fluid cancelling at $T_{L_{bead}}$ to accelerate convergence:
 $T_{L_{bead}} = (w1_{bead}) * T_{L1} + (1 - w1_{bead}) * T_{L2}$
 with $w1_{bead}$ the mean wt% of material 1 in the bead
- Fast free surface by deforming the mesh in z only:
 $dz = \phi * (1 - (-z_0) / (\text{domain thickness}))$
- **Fast solution (25 min)** after a first step (5 min) with:
 - coarse mesh
 - uniform wt% in the bead: $w1_{bead} = \frac{\text{layer height}}{\text{pool thickness}}$
 - uniform turbulence: $\mu_{turbulence} = 0,0004 * \bar{U}_{pool} * L_{pool}$



Sensitivity analysis of the model, 6 most influent inputs



- Melt pool **dimensions** and **Cooling rate**: very sensitive
- $\nearrow$ **Fusion temperature** with same Power: $\nearrow$ T max
- Fluid **velocity** and **turbulence** $\nearrow$ when $\nearrow$ Power
- Need to measure **laser and powder distributions**
- Need accurate data for **Fusion temperature** and **Thermal conductivity**, a **challenge** for multi-material fabrications

Conclusion

Fast solution (30 min on a desktop work station) of the melt pool during **multi-material DED** of multi-bead fabrication

- **Sensitivity analysis**: sensitive outputs, influent inputs
- Parameter **optimization** capabilities (power, feed rate)